



Klinik für Strahlentherapie und Radioonkologie



4th Annual LLU Algorithm Workshop

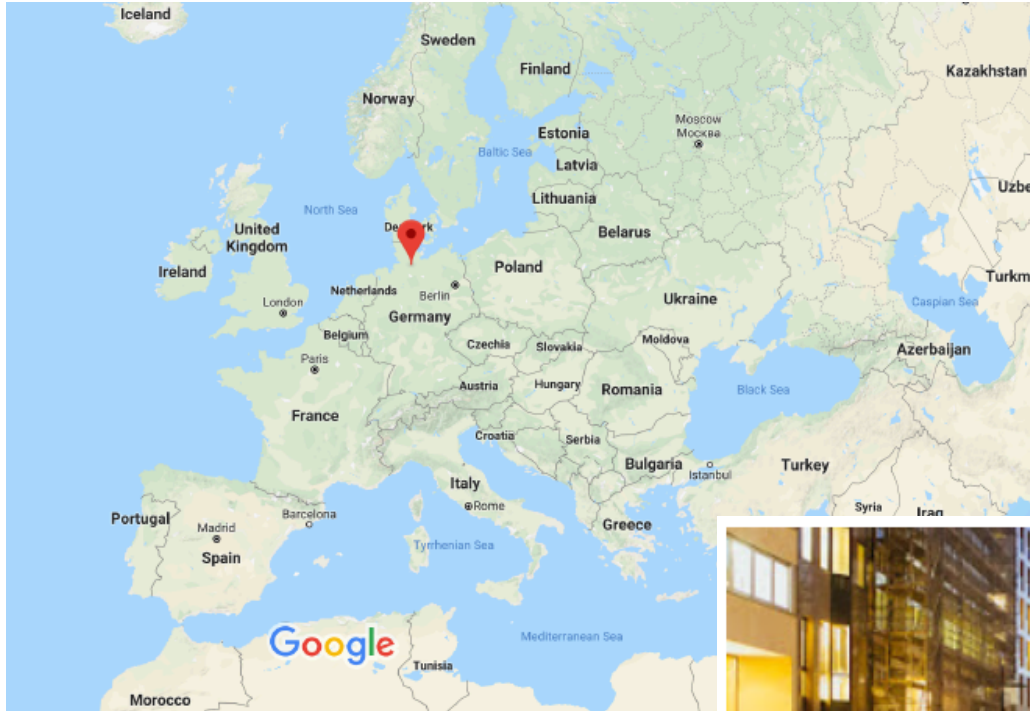
Radiobiological Modelling in Radiation Therapy (of Prostate Cancer)

Elisabetta Gargioni, Alexandra Albanis, Tom Sokolinski, Ilse König, Preena Mehta, Julia Einhausen, Annette Raabe, Rudolf Schwarz



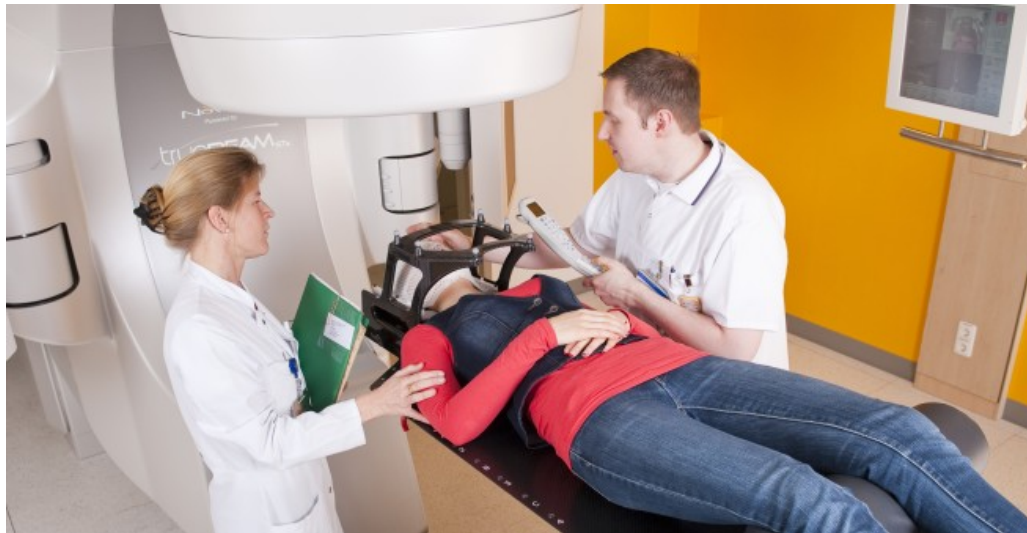
Universitätsklinikum
Hamburg-Eppendorf

Hamburg: big international port on the Elbe river



Map data ©2018 Google, OR





Approx. 2,000 patients/year
Approx 1,700 outpatients/year

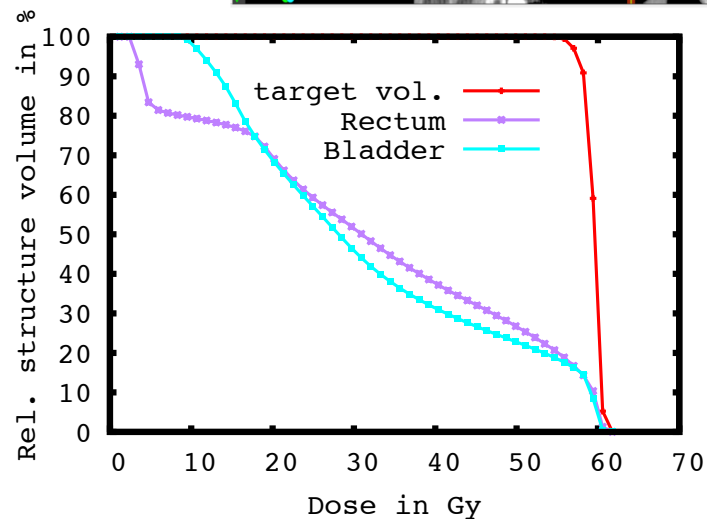
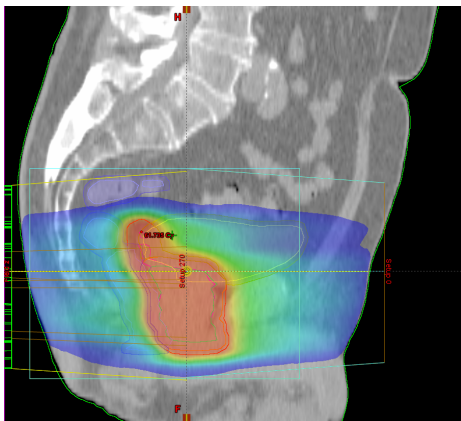
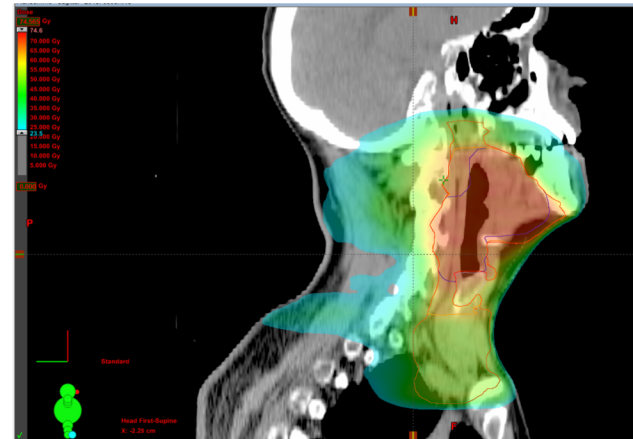
- 1 Brachytherapy unit
- 3 Varian TrueBeam linacs
- 1 Siemens 4D-CT
- 1 Elekta Simulator
- 1 IntraBeam Intraoperative RT unit
- 1 TomoTherapy

- 22 doctors (13 specialists)
- 12 physicists/engineers
- 30 radiology assistants/medical technicians

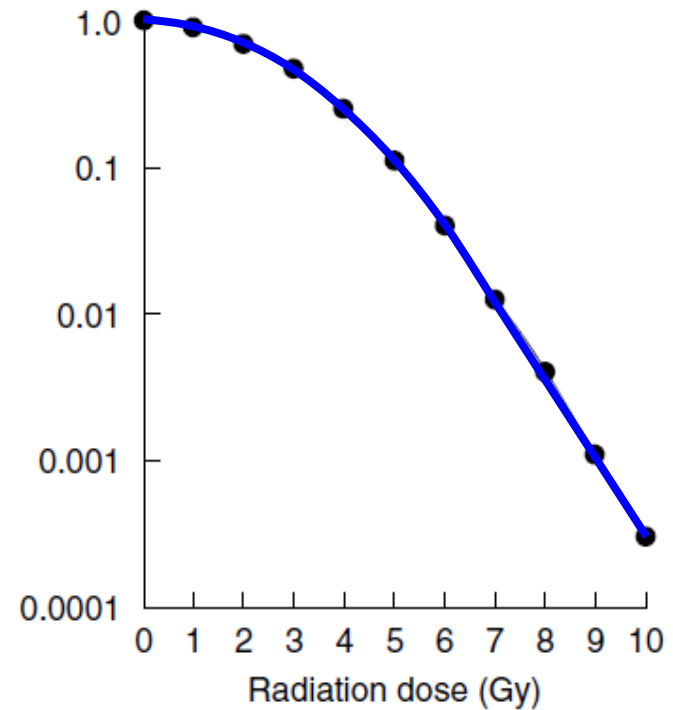
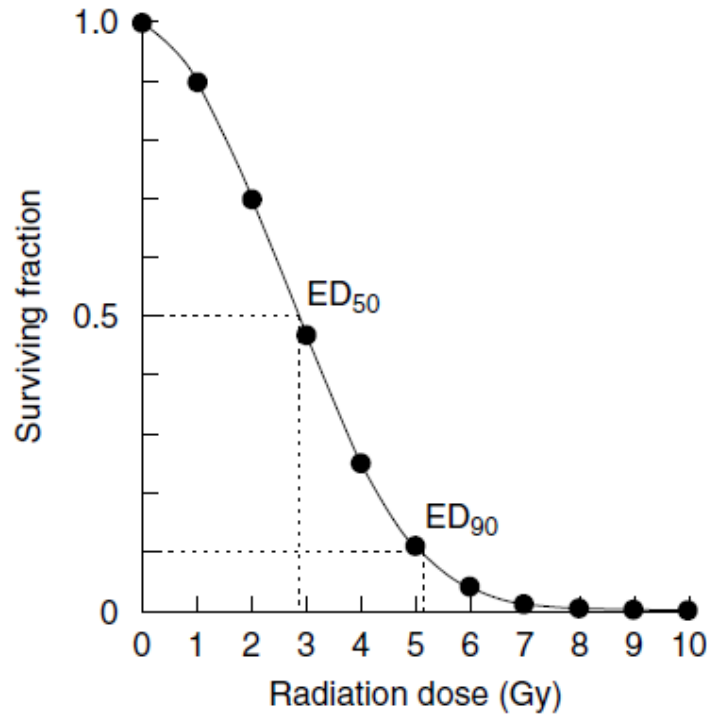
... no protons...

Conventional treatment plan evaluation

- 3D dose distribution
- Dose-Volume histograms

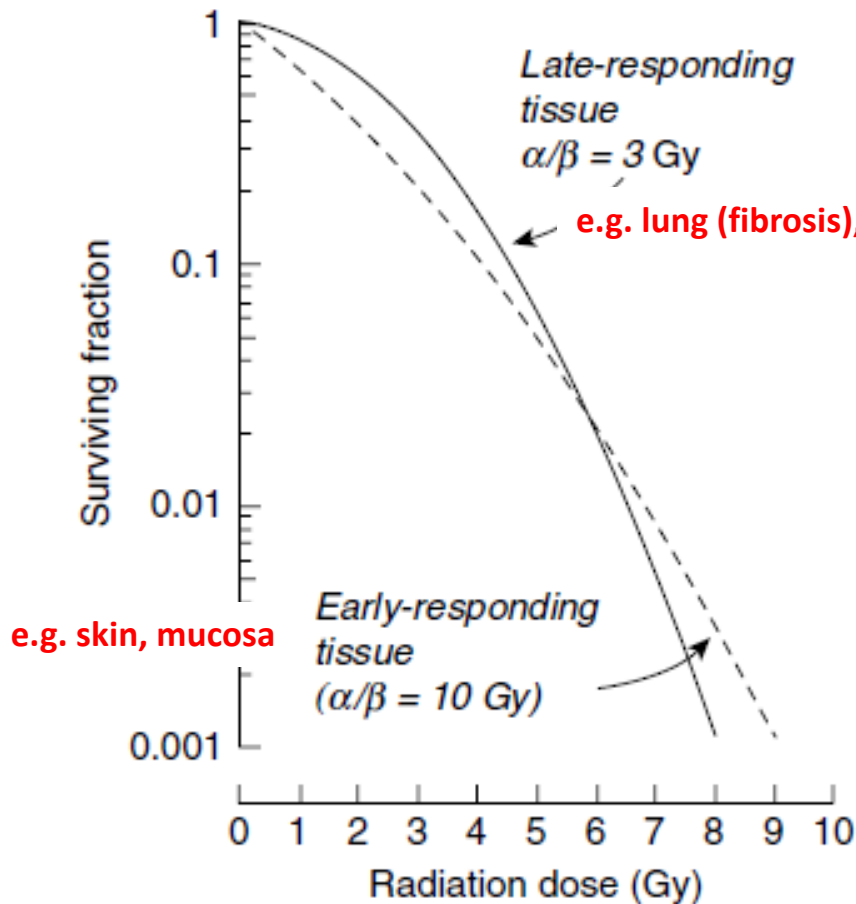


mammal cells



$$SF = \exp(-\alpha D - \beta D^2)$$

α/β for tumor and normal tissue

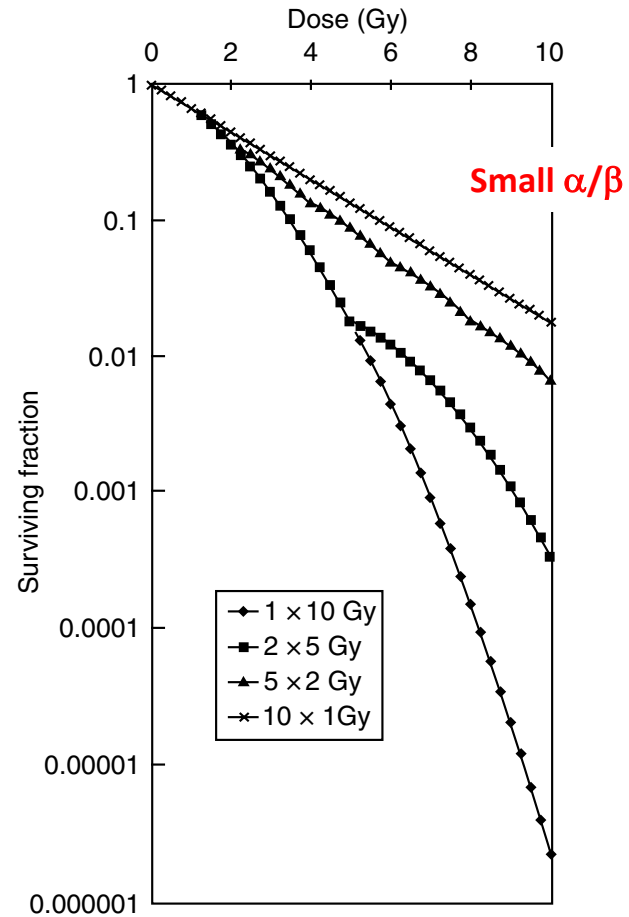
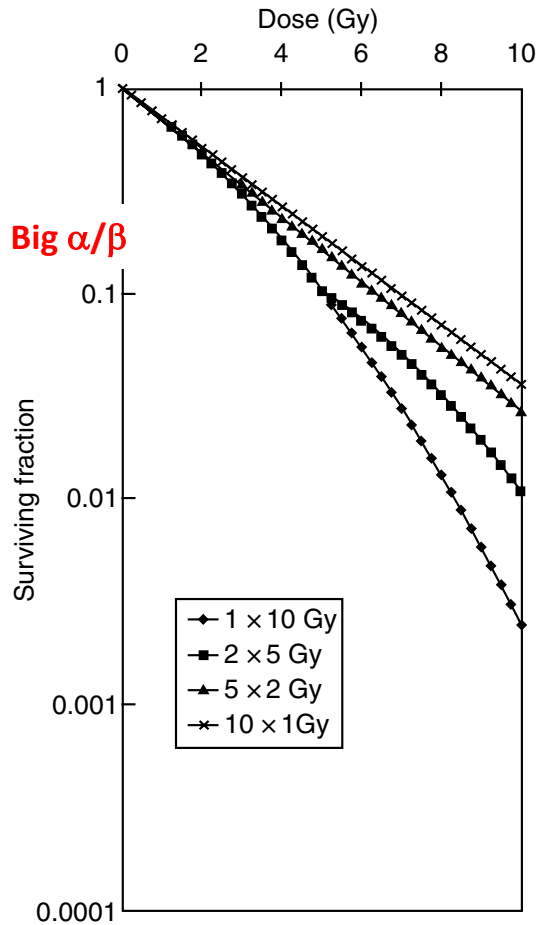


for most tumors:
 $\alpha/\beta = 10$ Gy

BUT:

- Prostate ≈ 1.5 Gy
- Breast ≈ 4.6 Gy
- Oesophagus ≈ 4.9 Gy
- Melanoma ≈ 0.6 Gy
- Liposarcoma ≈ 0.4 Gy

Fractionation and α/β

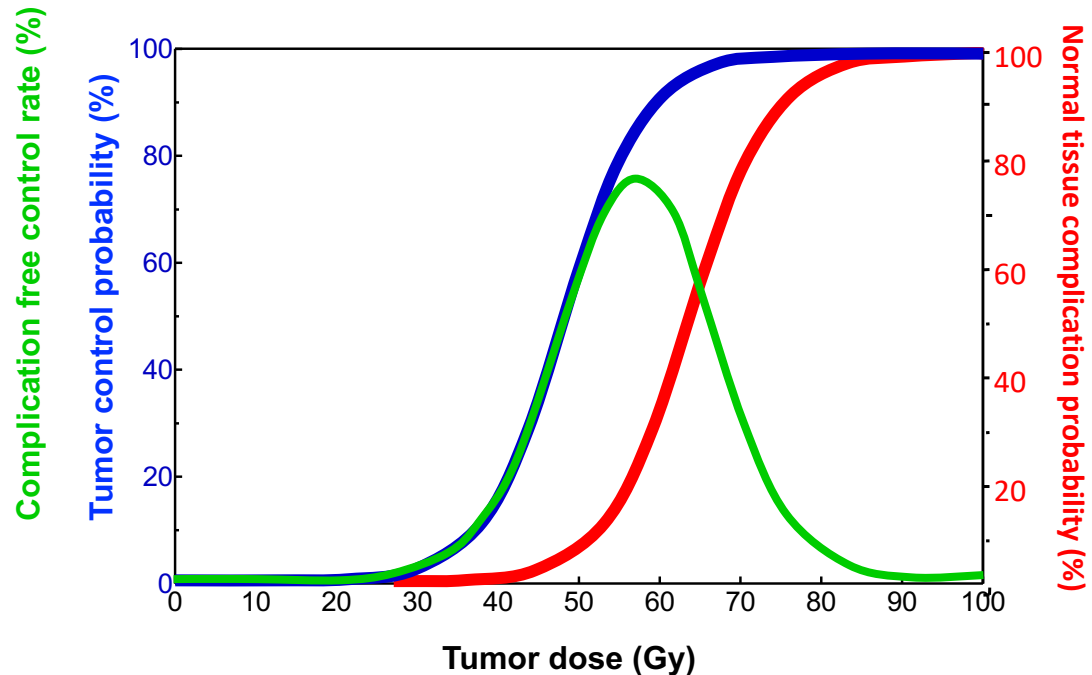


- dose escalation to the tumor
 - based on MRI or PET imaging → better identification of high-proliferation or hypoxic regions
- hypofractionation
- stereotactic body radiation therapy

Common issues:

- image guidance for margin reduction & motion management
- toxicity reduction / isototoxicity

Using radiobiological models
(e.g. for describing TCP, NTCP) during the treatment planning process



Curves typically obtained from experimental (clinical) data →
mathematical or mechanistic models to describe them

Several levels:

- Use of dose-response curves for **determining the probability** of tumor control or toxicity rate **for a given** treatment plan and fractionation scheme
- Use of dose-response curves for **optimizing fractionation scheme** and **prescription dose** on an individual basis
- Use of radiobiological models for **optimizing the (biological) dose distribution** on an individual basis

Typically based on the linear-quadratic model of cell survival & Poisson statistics

$$TCP = \exp[-N_0 \exp(-\alpha D - \beta dD)]$$

Or, more sophisticated, considering population-based data → variation of α

$$TCP = \frac{1}{\sigma_\alpha \sqrt{2\pi}} \int_0^\infty \exp\{-\rho V \exp[-\alpha D(1 + d / (\alpha / \beta))]\} \exp\left[-\frac{(\alpha - \bar{\alpha})^2}{2\sigma_\alpha^2}\right] d\alpha$$

“Marsden-LQ Model”: see J Uzan & A E Nahum, Br. J. Radiol (2012) 85: 1279-1286

Lyman-Kutcher-Burman (LKB) model:

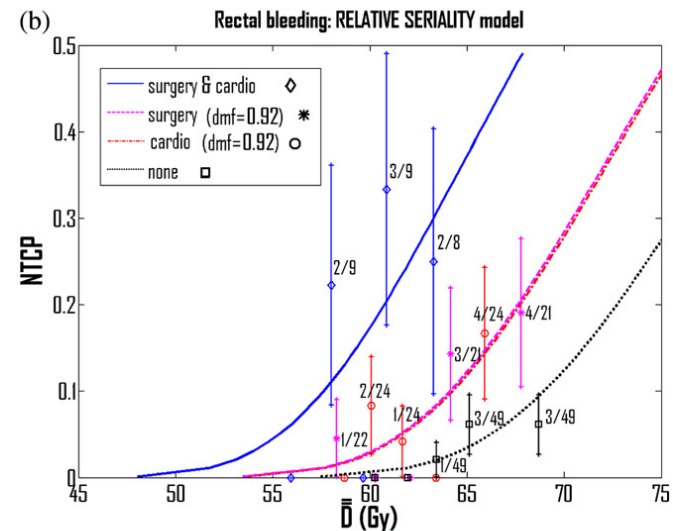
$$NTCP = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{(\mu - \mu_{50})/m\mu_{50}} \exp(-u^2 / 2) du$$

$$\mu = D_{eff} = \left(\sum_i v_i D^{1/n} \right)^n$$

Relative Seriality (RS) model:

$$NTCP = \left(1 - \prod_{i=1}^N [1 - P(D_i)^s]^{v_i} \right)^{1/s}$$

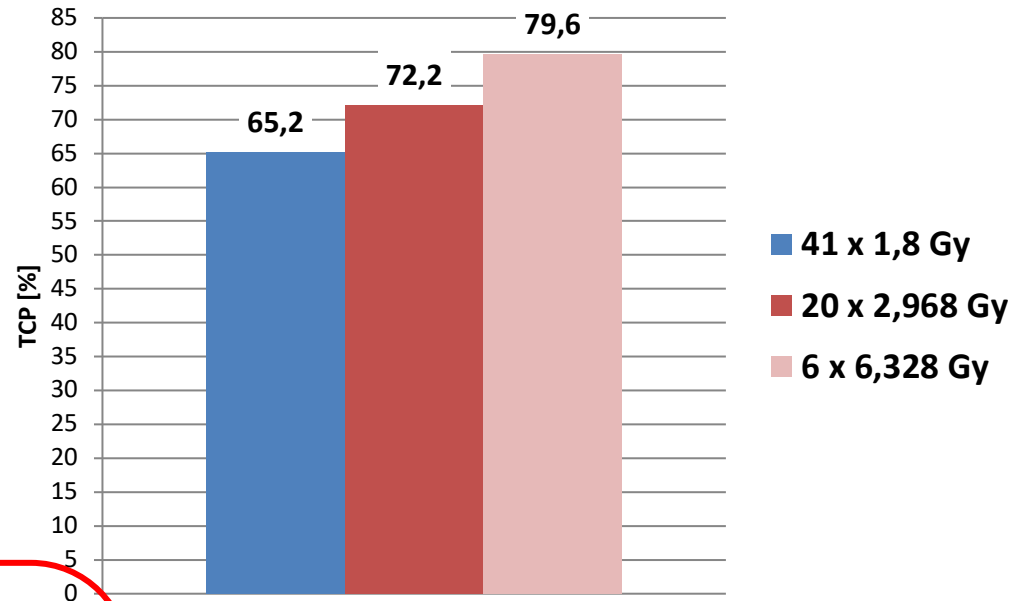
$$P(D_i) = 2^{-e} \left(1 - \frac{D_i}{D_{50}} \right)$$



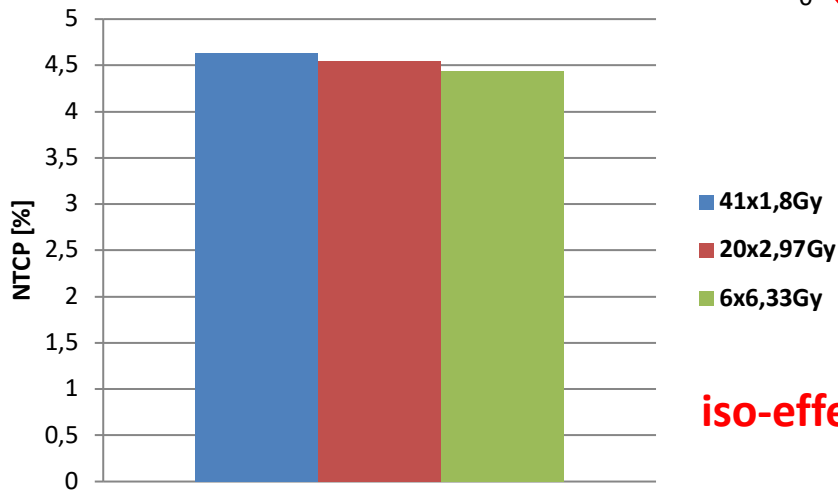
Source: Defraene et al. (2012)

Evaluating alternative fractionation schemes in prostate cancer RT

- Original plan:
41 x 1.8 Gy
- Alternative plans:
20 x 3.0 Gy
6 x 6.3 Gy

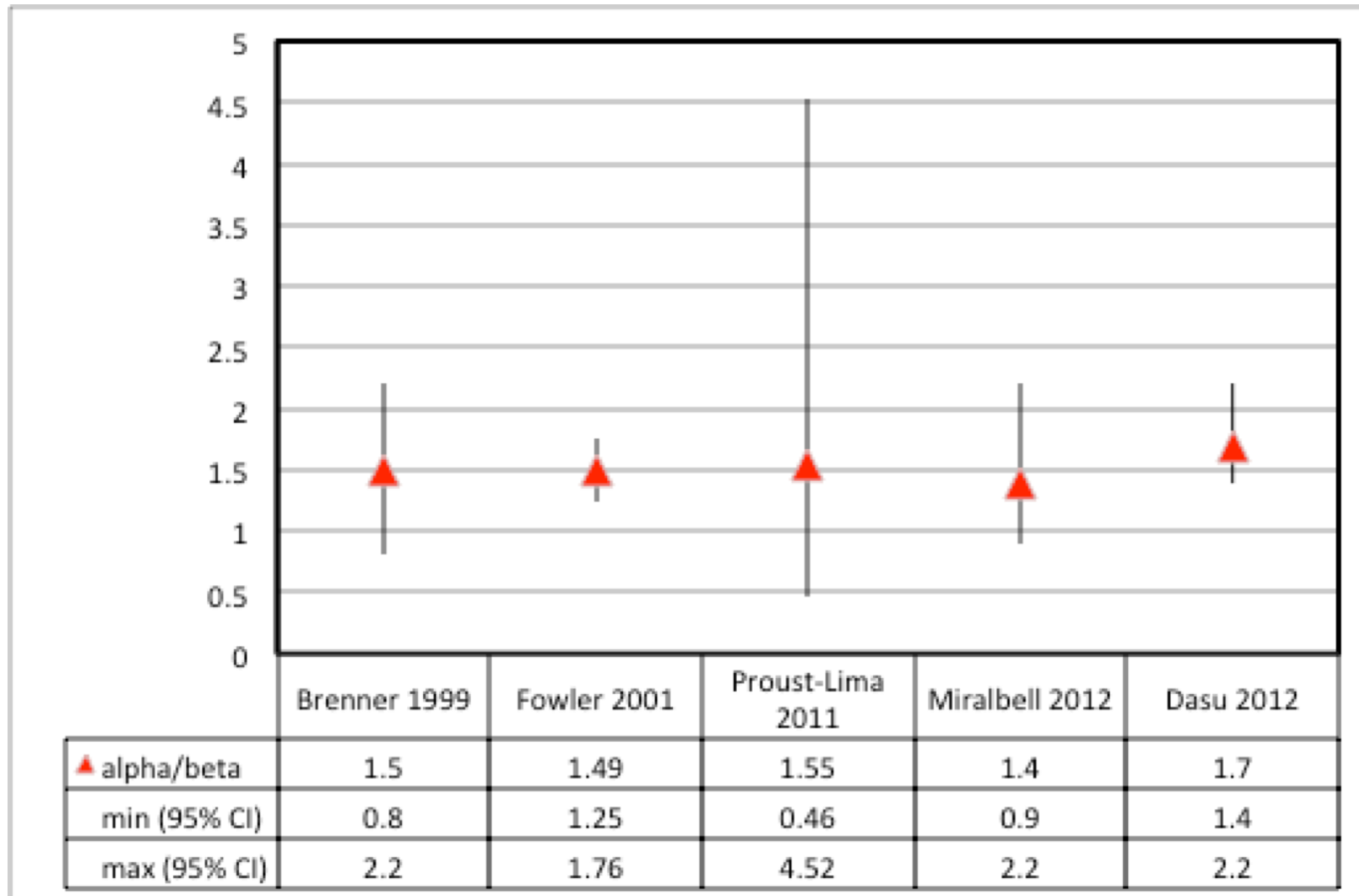


higher TCP if $\alpha/\beta = 1.5$ Gy



iso-effective with respect to late rectal bleeding

α/β for prostate cancer: literature

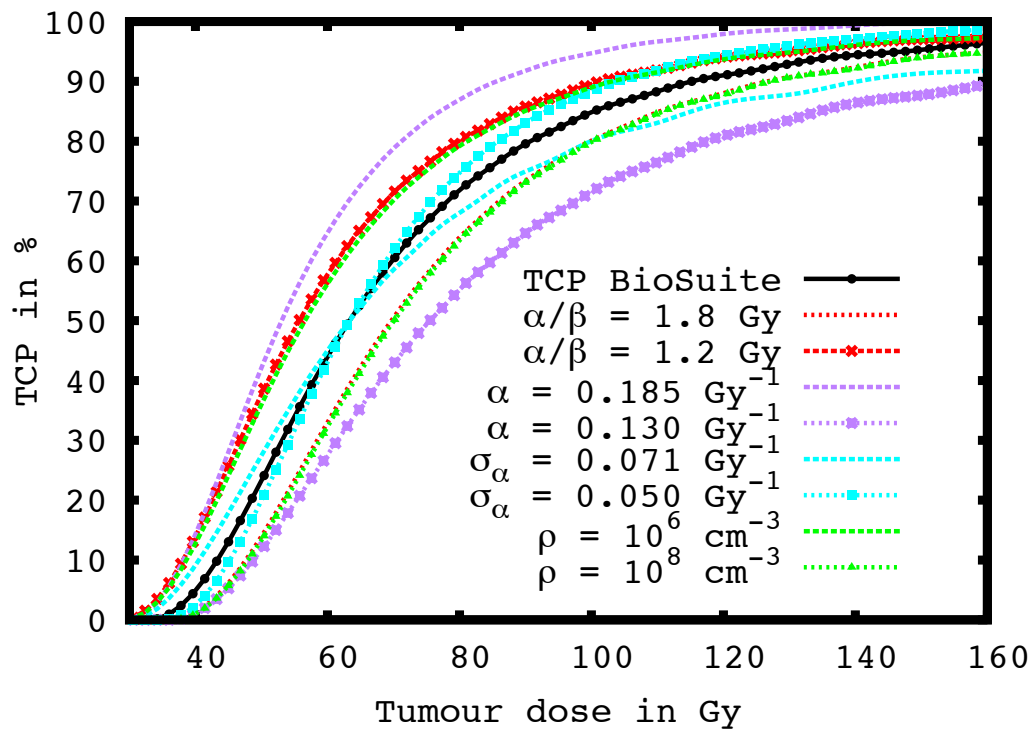


Are these models robust for predicting complications and tumor control rate?

Model parameters available from literature have quite large uncertainties

- We analyzed the effect of such uncertainties on **model predictions**
- Variation of the model parameter values within $\pm 20\%$ of the reported values

$$TCP = \frac{1}{\sigma_\alpha \sqrt{2\pi}} \int_0^\infty \exp\{-\rho V \exp[-\alpha D(1 + d / (\alpha / \beta))]\} \exp\left[-\frac{(\alpha - \bar{\alpha})^2}{2\sigma_\alpha^2}\right] d\alpha$$

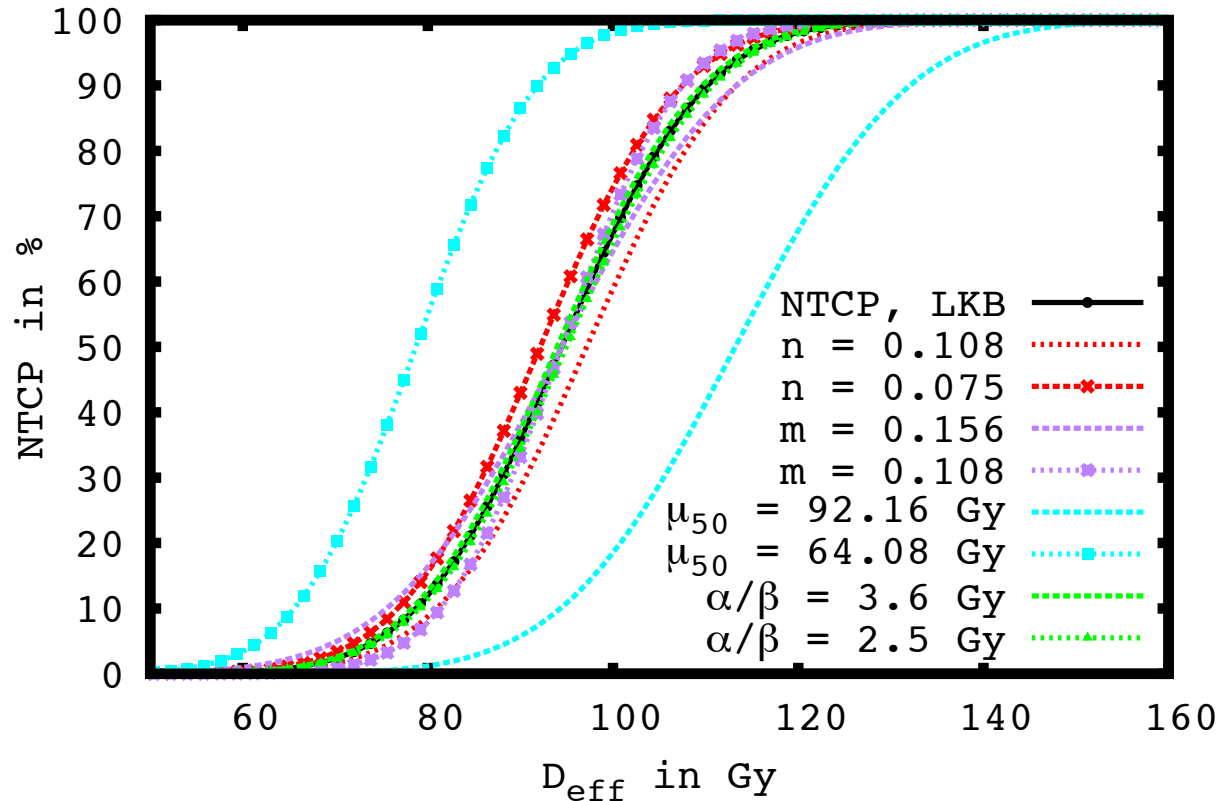


Starting values (BioSuite)*:
 $\alpha/\beta = 1.5$ Gy, $\alpha = 0.155$ Gy⁻¹,
 $\rho = 10^7$ cm⁻³

* J Uzan & A E Nahum, Br. J. Radiol (2012)
 85: 1279-1286

$$NTCP = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{(\mu - \mu_{50})/m\mu_{50}} \exp(-u^2 / 2) du \quad \mu = D_{eff} = \left(\sum_i v_i D^{1/n} \right)^n$$

Endpoint: rectal bleeding grade ≥ 2

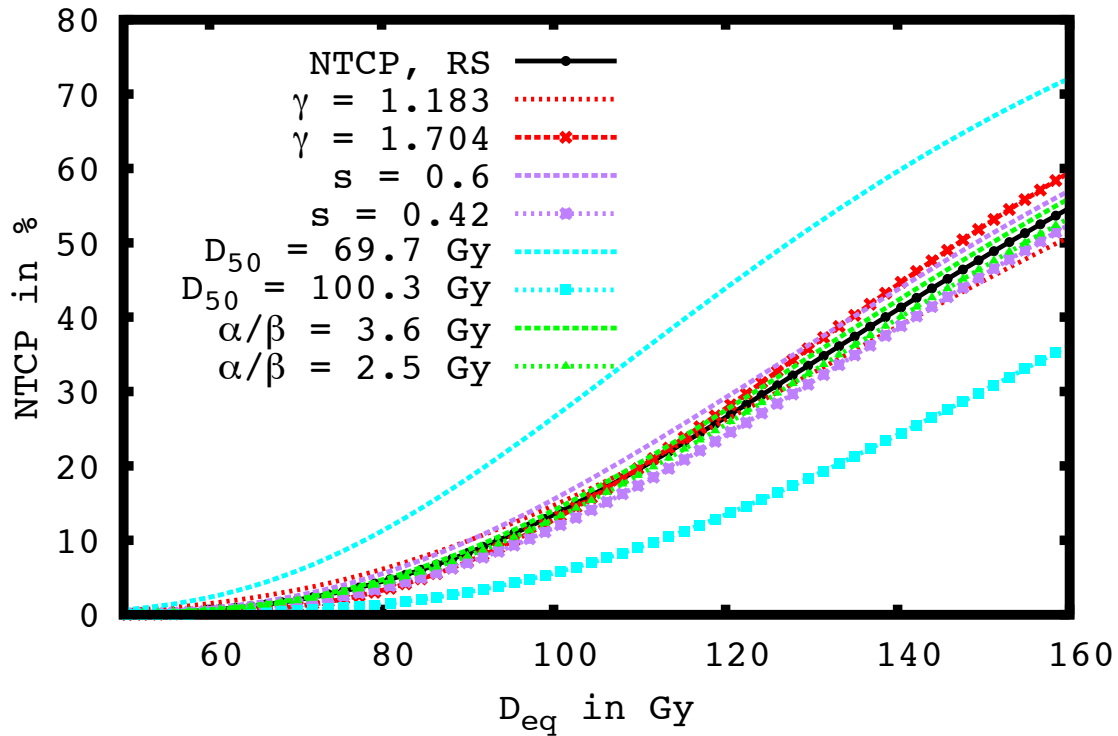


Starting values*:
 $n = 0.09,$
 $m = 0.13,$
 $\mu_{50} = 76.9$ Gy,
 $\alpha/\beta = 3$ Gy

* J.M. Michalski et al. (2010), Int. J. Radiation Oncology Biol. Phys. 76: S123-S129.

$$NTCP = \left(1 - \prod_{i=1}^N [1 - P(D_i)^s]^{v_i} \right)^{1/s} \quad P(D_i) = 2^{-e^{\gamma s \left(1 - \frac{D_i}{D_{50}} \right)}}$$

Endpoint: rectal bleeding grade ≥ 2



Starting values*:
 $\gamma = 1.42, s = 0.5,$
 $D_{50} = 83.6$ Gy,,
 $\alpha/\beta = 3$ Gy

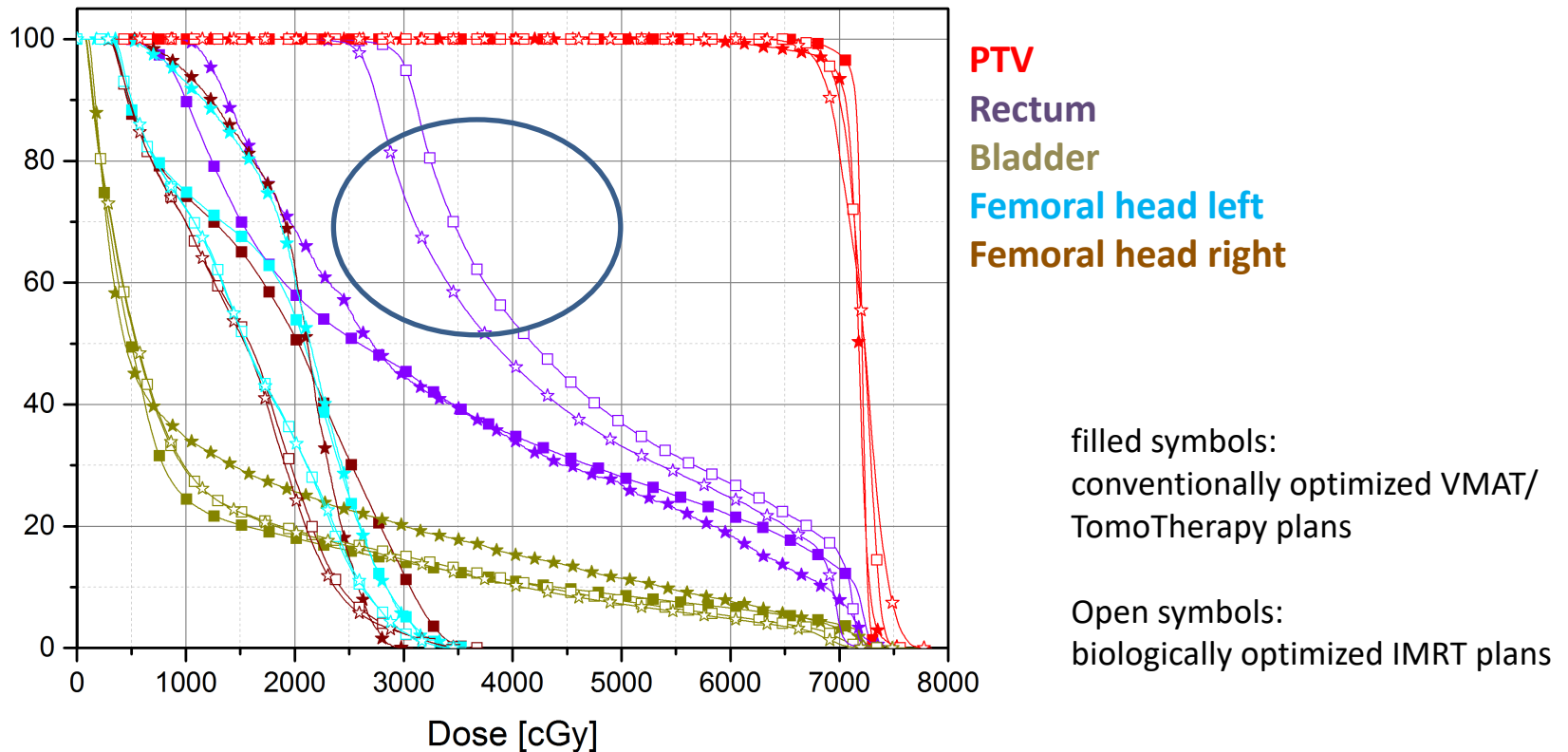
* T Rancati et al. (2004). Radiother. Oncology 73: 21-32.

J. Einhausen et al., Strahlentherapie und Onkologie Vol. 190 (2014)

Models seem to be robust with respect to the most crucial parameters, still important to know whether the uncertainties could affect their clinical use

- We analysed the effect of such uncertainties on **NTCP-based plan optimization**
- Use of **LKB model** for NTCP
- Variation of the model parameter values within
 - $\pm 20\%$ of the reported values, except μ_{50}
 - $\pm 6\%$ for μ_{50}
- **Dosimetric constraint**: 72 Gy to PTV, in 40 fractions
- **Endpoints for NTCP**: late rectal bleeding grade ≥ 2 , late bladder toxicity grade ≥ 3

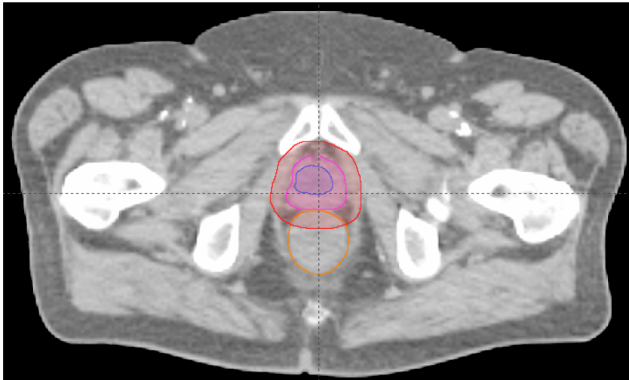
Are these models robust?



Larger deviations among plans for variations of μ_{50} , stronger for low-dose distribution in rectum

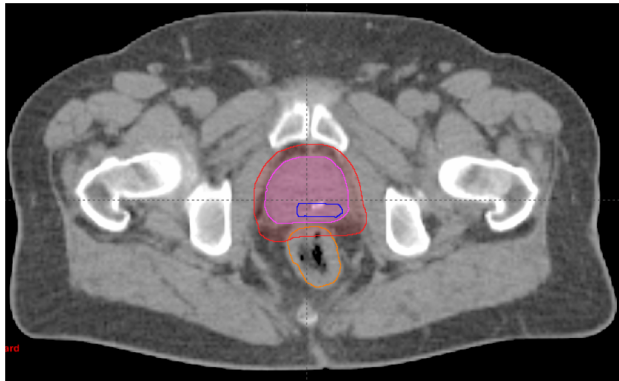
E. Gargioni et al., Radiotherapy and Oncology 115:S459 (2015)

What about personalized dose escalation?



MRI-contoured tumor (GTV)
Biological optimization → maximizing TCP for GTV
& minimizing NTCP as before

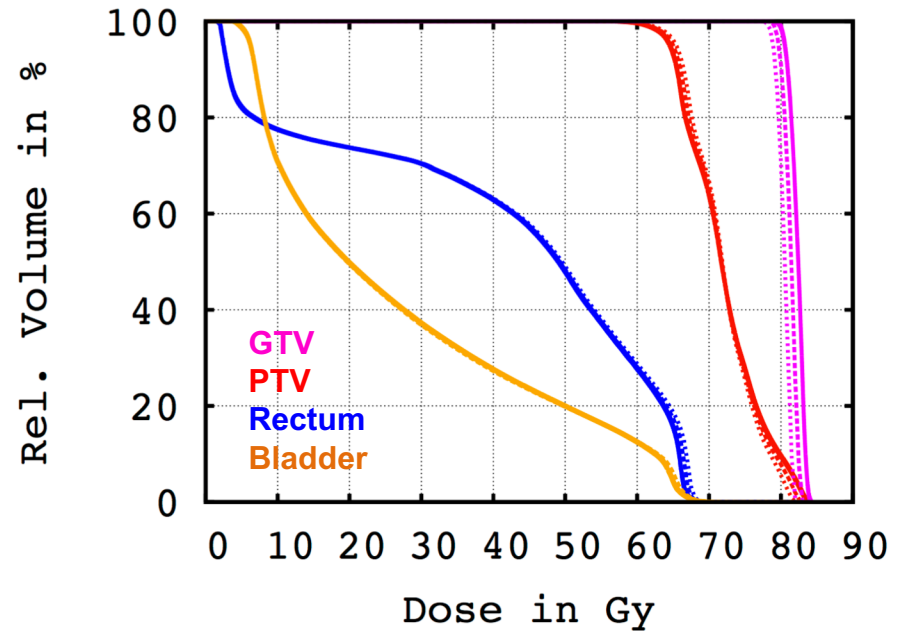
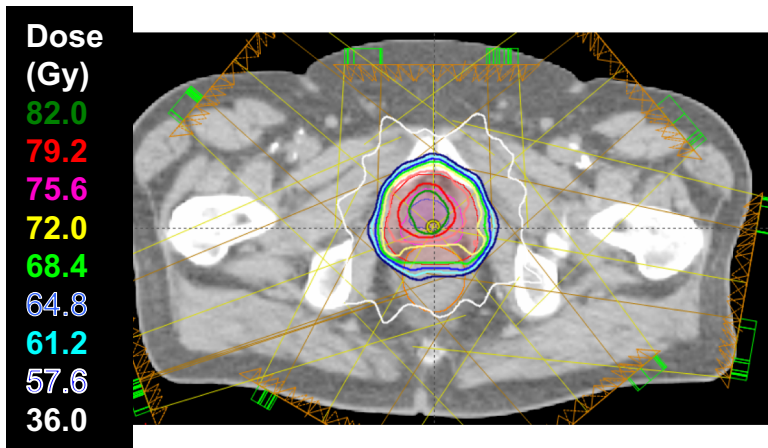
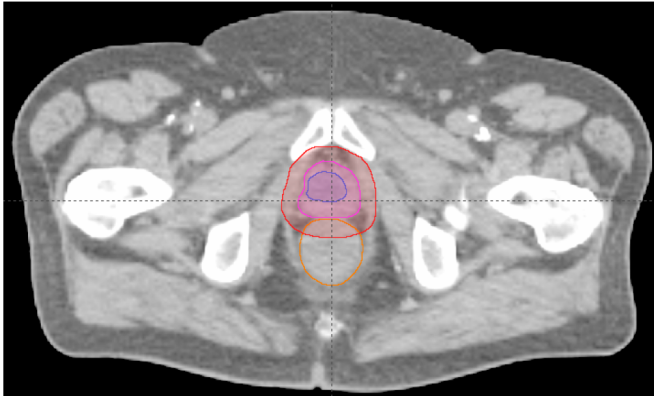
Dose constraint for PTV: 72 Gy in 40 fractions



Variation of α/β for prostate cancer:

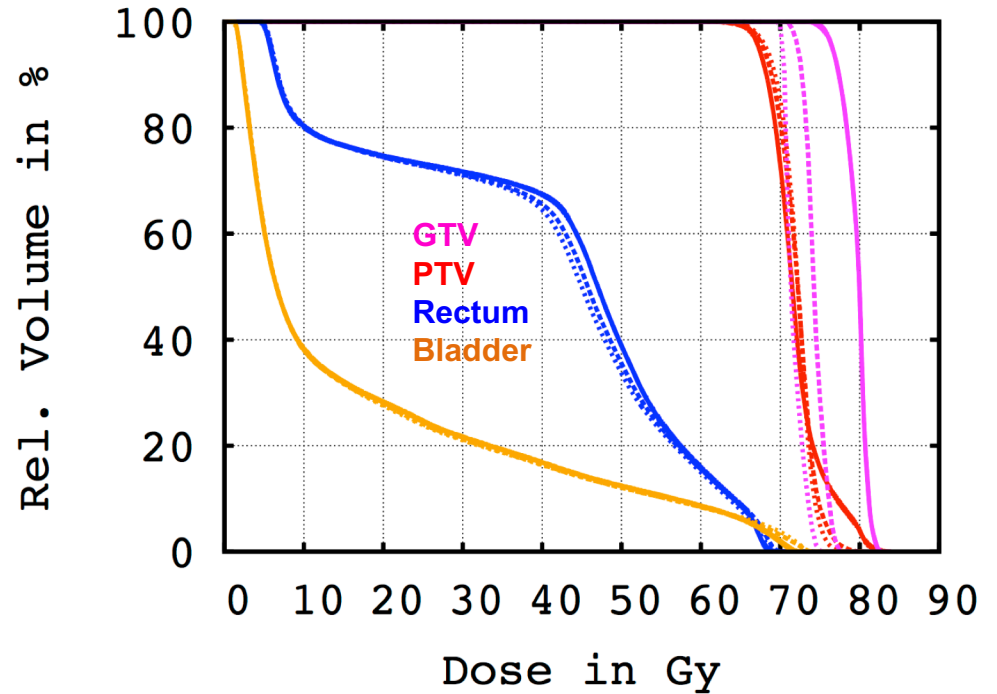
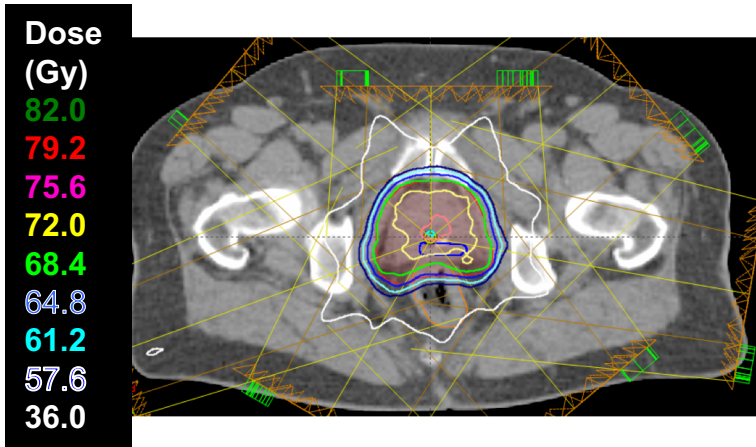
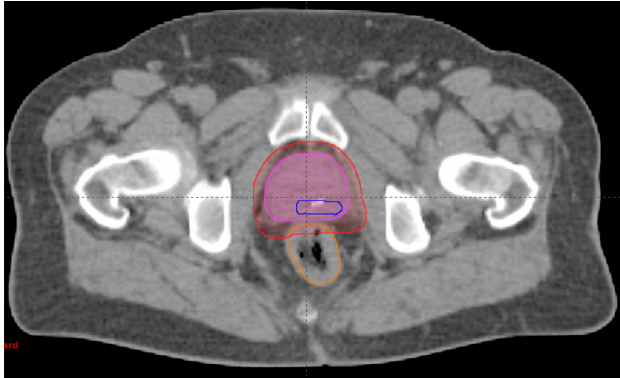
- 1.5 Gy
- 3 Gy
- 4.5 Gy

What about personalized dose escalation?



Solid: $\alpha/\beta = 1.5$ Gy
Dashed: $\alpha/\beta = 3$ Gy
Dotted: $\alpha/\beta = 4.5$ Gy

What about personalized dose escalation?



Solid: $\alpha/\beta = 1.5$ Gy
 Dashed: $\alpha/\beta = 3$ Gy
 Dotted: $\alpha/\beta = 4.5$ Gy



Finding Value for Protons: The Case of Prostate Cancer?



Eric Ojerholm, MD,^{*,†,‡} and Justin E. Bekelman, MD^{*,§,||}

The standard radiotherapy treatment for prostate cancer is intensity-modulated radiotherapy (IMRT). An alternative option is proton beam therapy (PBT). PBT is a safe and effective treatment, but does it add value over IMRT? We explore this controversial question by examining the available dosimetric and clinical evidence.

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Clinical Trial Strategies to Compare Protons With Photons

Johannes A. Langendijk, MD, PhD,^{*,||} Liesbeth J. Boersma, MD, PhD,^{†,||}
 Coen R.N. Rasch, MD, PhD,^{†,||} Marco van Vulpen, MD, PhD,^{‡,||}
 Johannes B. Reitsma, MD, PhD,^{§,||} Arjen van der Schaaf, PhD,^{*,||} and
 Ewoud Schuit, PhD^{§,||}

The favorable beam properties of protons can be translated into clinical benefits by target dose escalation to improve local control without enhancing unacceptable radiation toxicity or to spare normal tissues to prevent radiation-induced side effects without jeopardizing local tumor control. For the clinical validation of the added value of protons to improve local control, randomized controlled trials are required. For the clinical validation of the added value of protons to prevent side effects, both model-based validation or randomized controlled trials can be used. Model-based patient selection for proton therapy is crucial, independent of the validation approach. Combining these approaches in rapid learning health care systems is expected to yield the most efficient and scientifically sound way to continuously improve patient selection and the therapeutic window, eventually leading to more cancer survivors with better quality of life.

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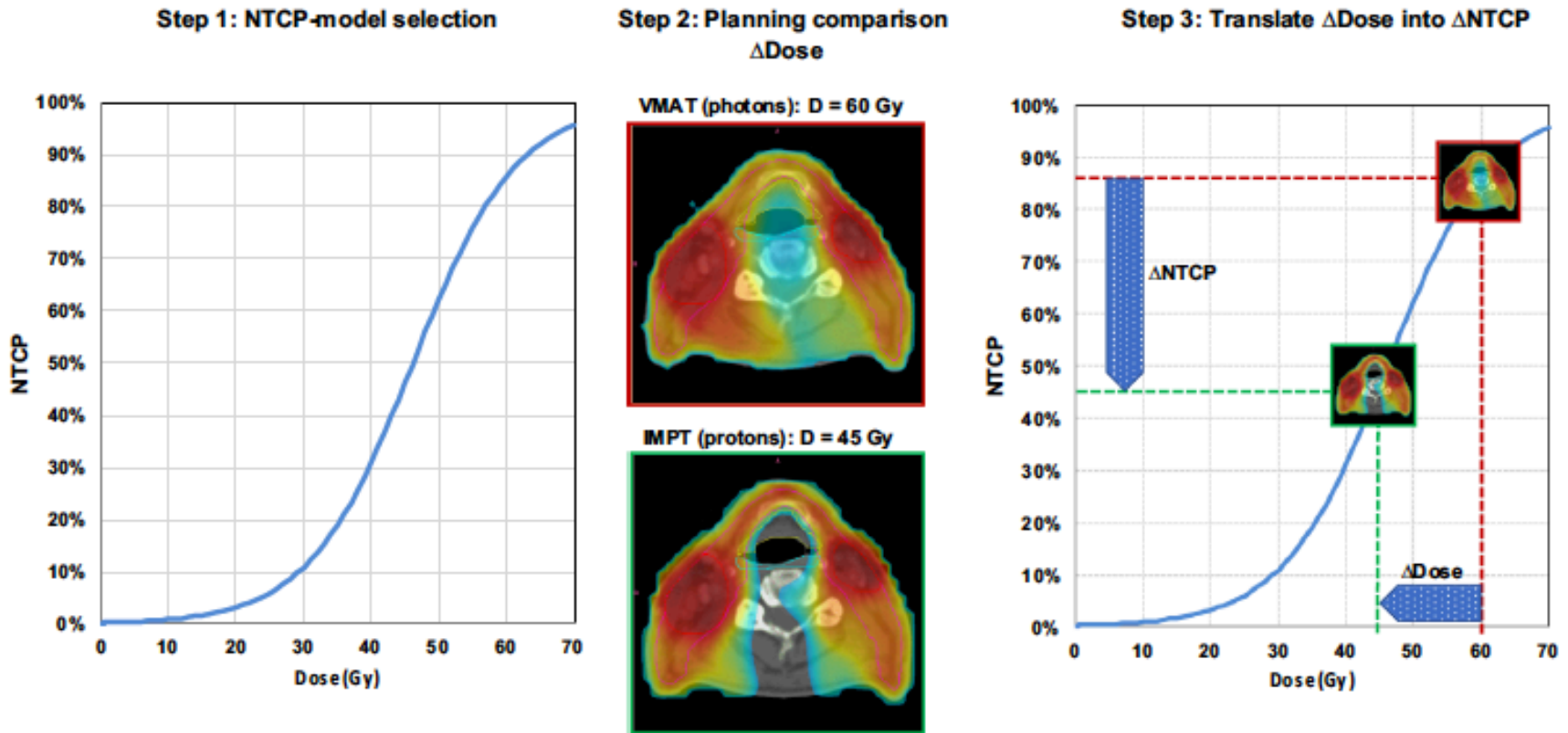


Figure 1 Graphical display of the model-based selection procedure. The first step includes selection of an NTCP-model. Based on the dose-volume parameters included in the selected NTCP-model, the dose distribution is optimized for both techniques (model-based plan optimization) and Δ dose is assessed (step 2). Finally, the outcome of step 2 is integrated in the NTCP-model to translate Δ dose into Δ NTCP (step 3). (Color version of figure is available online.)